

Tutorial

1. Construct a truth table for $(p \leftrightarrow q) \leftrightarrow (r \leftrightarrow s)$.
2. State the converse, contrapositive and inverse of each of the following sentences:
 - a) If it snows today, I'll ski tomorrow.
 - b) I come to class whenever there is going to be a quiz.
 - c) A positive integer is a prime only if it has no divisors other than 1 and itself.
3. Show that $\neg(p \vee (\neg p \wedge q))$ and $\neg p \wedge \neg q$ are logically equivalent.
4. Translate these into English where $C(x)$ "x is a comedian" and $F(x)$ "x is funny" and domain consists of all people.
 - a) $\forall x (C(x) \rightarrow F(x))$ b) $\exists x (C(x) \wedge F(x))$ where \forall is "for all" and \exists is "there exists" operators.
5. Use quantifiers to express the statement "There is a woman who has taken a flight on every airline in the world."
6. Show that the argument form with premises p_1, p_2, \dots, p_n and conclusion $q \rightarrow r$ is valid if the argument form with premises p_1, p_2, \dots, p_n, q and conclusion r is valid.