

Topic: Sorting and Searching

LINEAR SEARCH: Linear(Data,N,Item,Loc)

Here **Data** is a linear array with N elements, and **Item** is a given item to be searched. The algorithm finds the location **Loc** of **Item** in **Data**, or sets $Loc = -1$, if search is unsuccessful.

Step 1: Insert **Item** at the end of **Data**

Step 2: Initialize counter

Step 3: Search for Item:

Repeat while $Data[Loc] \neq Item$

Set $Loc = Loc + 1$

Step 4: If $Loc = N + 1$, then $LOC = -1$

Step 5: Exit

What is the best and worst case number of comparisons? Can you compute the average number of comparisons? (Hint: assume that the Item being searched can be in any of the locations with equal probability. Using this compute the expected number of comparisons.)

BINARY SEARCH: Binary(Data,LB,UB,Item,Loc)

Here **Data** is a sorted array with lower bound **LB** and upper bound **UB** and **Item** is a given information. The variables **Beg**, **End** and **Mid** denote, respectively, the beginning, end and the middle locations of a segment of **Data**. This algorithm finds the location **Loc** of **Item** in **Data** or sets $Loc = Null$.

Step 1: Initialize: Set: $Beg = LB$, $End = UB$, $Mid = \text{int}((Beg + End)/2)$

Step 2: Repeat Steps 3 and 4 while $Beg \leq End$ and $Data[Mid] \neq Item$.

Step 3: If $Item < Data[Mid]$, then:

Set: $End = Mid - 1$

Else

Set: $Beg = Mid + 1$

Step 4: Set $Mid = \text{int}((Beg + End)/2)$

Step 5: If $Data[Mid] = Item$,

Then Set: $LOC = Mid$

Else

Set: $LOC = NULL$

Step 6: Exit

Compute the worst case and best case number of comparisons.

Disadvantages: The list has to be maintained as a sorted array, which might be very expensive in real life. Hence, other data structures are used (*The data may be organized in many different ways; the logical or mathematical model of a particular organization of data is called a data structure*).

Today's Programming Problem

The median of an array of numbers is the element m of the array such that half the remaining numbers in the array are greater than or equal to m and half are less than or equal to m , if the number of elements in the array is odd. If the number of elements is even, the median is the average of the two elements m_1 and m_2 , st half the remaining elements are greater than or equal to m_1 and m_2 , and half the elements are lesser than or equal to m_1 and m_2 . Write a C function that accepts an array of numbers and returns the median of the numbers in the array.

Home Assignment

Deadline: 25.8.07

Definition of lexicographic sorting:

We say that $c_1c_2\dots c_k < d_1d_2\dots d_m$ if either of the following conditions hold:

1. The first string is a proper prefix of the second, which means that $k < m$ and for $i=1,2,\dots,k$ we have $c_i=d_i$. According to this rule, $bat < batter$. As a special case of this rule, we could have $k=0$, in which the first string is empty.
2. For some value of $i > 0$, the first $i-1$ characters of the two strings agree, but the i^{th} character of the 1st string is less than the i^{th} character of the 2nd string. That is, $c_j=d_j$ for $j=1,2,\dots,i-1$, and $c_i < d_i$. According to this rule, $ball < base$.

Write a function to `compare(string1,string2)` which returns 0 if `string1 < string2` else 1. Use the function to perform a sort (use insertion sort) on an array of strings.